## Designing Data Types

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APIs

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Precisely specifying a data type using an API improves design because it leads to client code that can clearly express its computation

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By using APIs to separate clients from implementations, we reap the benefits of standard interfaces for every program that we compose

APIs should provide to clients just the methods they need and no others

## Encapsulation <br> Encapsulation

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The API should be the only point of dependence between client and implementation - this is called modular programming

## Immutability <br> Immutability

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In Python, lists are mutable, whereas and strings and tuples are immutable
Polymorphism

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Duck typing leads to simpler and more flexible client code and puts the focus on operations rather than the type

A disadvantage of duck typing is that it is difficult to know precisely what the contract is between the client and the implementation - the API simply does not carry this information

## Overloading <br> Overloading

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The ability to define a data type that provides its own definitions of operators is a form of polymorphism known as operator overloading

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To perform an operation, Python internally converts the expression into a call on the corresponding special method
To call a built-in function, Python internally calls the corresponding special method instead
To overload an operator or built-in function, we include an implementation of the corresponding special method with our own code

## Overloading <br> Overloading

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Special methods for arithmetic operators

| Client Operation | Special Method | Description |
| :---: | :---: | :---: |
| $\mathrm{x}+\mathrm{y}$ | -_-add_-(self, y) | sum of $x$ and $y$ |
| $x-y$ | -.sub_-(self, y) | difference of $x$ and $y$ |
| x * y | _-mul_-(self, y) | product of $x$ and $y$ |
| $x^{* *}$ y | --pow_-(self, y) | $x$ to the power $y$ |
| $x / y$ | -.div_-(self, y) | quotient of $x$ and $y$ |
| $x / / \mathrm{y}$ | -_floordiv_-(self, y) | floored quotient of $x$ and $y$ |
| x\% y | --mod_-(self, y) | remainder when dividing $x$ by $y$ |
| +x | ---pos_-(self) | x |
| -x | ---neg_--(self) | arithmetic negation of $x$ |

## Overloading <br> Overloading

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Special methods for comparison operators

| Client Operation | Special Method | Description |
| :---: | :---: | :---: |
| $\mathrm{x}=\mathrm{=} \mathrm{y}$ | --eq_-(self, y) | are $x$ and $y$ equal? |
| $x!=y$ | -_ne_-(self, y) | are $x$ and $y$ not equal? |
| x < y | -_-1t--(self, y) | is $x$ less than $y$ ? |
| $x<=y$ | --1e_-(self, y) | is $x$ less than or equal to $y$ ? |
| $x>y$ | -_-gt_-(self, y) | is $x$ greater than $y$ ? |
| $x>=y$ | --ge_- (self, y) | is $x$ greater than or equal to $y$ ? |

## Overloading <br> Overloading

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Special methods for built-in functions

| Client Operation | Special Method | Description |
| :---: | :---: | :---: |
| $1 \mathrm{len}(\mathrm{x})$ | --_en_-(self) | length of $x$ |
| float (x) | --float_-(self) | float equivalent of $x$ |
| int (x) | ---int_-(self) | integer equivalent of $x$ |
| str (x) | --str_--(self) | string representation of $x$ |
| $\mathrm{abs}_{(\mathrm{x})}$ | ---abs_--(self) | absolute value of $x$ |
| hash(x) | -_hash_-(self) | integer hash code for $x$ |
| iter (x) | --iter_-(self) | iterator for $x$ |

## Functions are Objects <br> 

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In Python, everything is an object, including functions, which means we can use them as arguments to functions and return them as results

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Defining higher-order functions that manipulate other functions is common both in mathematics and scientific computing

For example, the following function evaluates the Riemann integral (ie, the area under the curve) of a real-valued function $f()$ in the interval $(a, b)$, using the rectangle rule with $n$ rectangles

```
def integrate(f, a, b, n = 1000):
    total = 0.0
    dt = 1.0* (b - a)/n
    for i in range(n):
        total += dt * f(a + (i + 0.5) * dt)
    return total
```


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        total += dt * f(a + (i + 0.5) * dt)
    return total
```

The following statement uses the above function to compute the area under the curve $f(x)=x^{2}$ in the interval $(0,1)$

```
area = integrate(lambda x : x * x, 0, 1)
```

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Examples


## Examples <br> Examples

Examples $z=x+y i$, where $x$ (the real part) and $y$ (the imaginary part) are real numbers and $i=\sqrt{-1}$


A complex number $z$ in the cartesian form is expressed as $z=x+y i$, where $x$ (the real part) and $y$ (the imaginary part) are real numbers and $i=\sqrt{-1}$


Complex arithmetic

- Conjugate: $(x+y i)^{\star}=x-y i$
- Addition: $(x+y i)+(v+w i)=(x+v)+(y+w) i$
- Multiplication: $(x+y i) \times(v+w i)=(x v-y w)+(y v+x w) i$
- Magnitude: $|x+y i|=\sqrt{x^{2}+y^{2}}$
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Examples


## Examples <br> Examples

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A data type complex for representing complex numbers
E Complex

| Complex(x, y) | a new complex object $c$ with value $x+y i$ |
| :--- | :--- |
| $c$. re () | real part of $c$ |
| c.im() | imaginary part of $c$ |
| $c . c o n j u g a t e()$ | conjugate of $c$ |
| $c+d$ | sum of $c$ and $d$ |
| $c * d$ | product of $c$ and $d$ |
| $c==d$ | are $c$ and $d$ equal? |
| $\operatorname{abs}(c)$ | magnitude of $c$ |
| $\operatorname{str}(c)$ | string representation of $c$ |

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Examples


## Examples <br> Examples

Examples

## Examples

```
| complex.py
import math
import stdio
class Complex:
    def __init__(self, re=0.0, im=0.0):
        self._re = re
        self._im = im
    def re(self):
        return self._re
    def im(self):
        return self._im
    def conjugate(self):
        return Complex(self._re, -self._im)
    def __add__(self, other):
        re = self._re + other._re
        im = self._im + other._im
        return Complex(re, im)
    def __mul__(self, other):
        re = self._re * other._re - self._im * other._im
        im = self._re * other._im + self._im * other._re
        return Complex(re, im)
    def __abs__(self):
        return math.sqrt(self._re * self._re + self._im * self._im)
    def __eq__(self, other):
        return self._re== other._re and self._im == other._im
    def __str__(self):
        SUFFIX = 'i'
```


## Examples

## © complex.py

```
if self._im == 0:
return str(self._re)
elif self._re == 0:
    return str(self._im) + SUFFIX
elif self._im < 0:
        return str(self._re) + , - + str(-self._im) + SUFFIX
else:
    return str(self._re) + ' + ' + str(self._im) + SUFFIX
```

def _main():
$\bar{a}=\operatorname{Complex}(5.0,-6.0)$
b $=$ Complex (3.0, 4.0)
stdio.writeln("a = " + str(a))
stdio.writeln("b $\left.="^{+}+\operatorname{str}(b)\right)$
stdio.writeln("conj(a) = " + str((a.conjugate ())))
stdio.writeln("a + b = " + str(a + b))
stdio.writeln("a * b = " + str (a * b))
stdio.writeln("|b| = " + str (abs(b)))
if __name__ == '__main__ ':
_main()
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Examples


## Examples <br> Examples

Examples

## Examples

Program: mandelbrot.py

## Examples

Program: mandelbrot.py

- Command-line input: xc (float), yc (float), and size (float)


## Program: mandelbrot.py

- Command-line input: xc (float), yc (float), and size (float)
- Standard draw output: size-by-size region of the Mandelbrot set, centered at ( $x c, y c$ )

Program: mandelbrot.py

- Command-line input: xc (float), yc (float), and size (float)
- Standard draw output: size-by-size region of the Mandelbrot set, centered at (xc, yc)

| >_ ~/workspace/ipp/programs |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| $\$$ python3 mandelbrot.py | -0.5 | 0 | 2 |



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| >_- /workspace/ipp/programs |  |  |  |
| :--- | :--- | :--- | :--- |
| $\$$ python3 mandelbrot.py | -0.5 | 0 | 2 |

2- -/workspace/ipp/prograns
\$ python3 mandelbrot.py $0.1015-0.633 .01$
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Examples


## Examples <br> Examples

Examples

## Examples

```
| mandelbrot.py
from color import Color
from complex import Complex
from picture import Picture
import stddraw
import sys
def main():
    xc = float(sys.argv[1])
    yc = float(sys.argv[2])
    size = float(sys.argv[3])
    N = 512
    ITERATIONS = 255
    picture = Picture(N, N)
    for col in range(N):
        for row in range(N):
            x0 = xc - size / 2 + size * col / N
            y0 = yc - size / 2 + size * row / N
            z0 = Complex (x0, y0)
            gray = ITERATIONS - _mandel(zO, ITERATIONS)
            color = Color(gray, gray, gray)
            picture.set(col, N - 1 - row, color)
    stddraw.setCanvasSize(N, N)
    stddraw.picture(picture)
    stddraw.show()
def _mandel(z0, iterations):
    z = z0
    for i in range(iterations):
        if abs(z) > 2.0:
            return i
        z = z * z + z0
    return iterations
if __name__ == '__main__ ':
    main()
```

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Examples


## Examples <br> Examples

Examples

A spatial vector is an abstract entity that has a magnitude and a direction


A spatial vector is an abstract entity that has a magnitude and a direction


Vector operations, assuming $x=\left(x_{1}, x_{2}, \ldots, x_{n}\right), y=\left(y_{1}, y_{2}, \ldots, y_{n}\right)$, and $\alpha \in \mathbb{R}$

- Addition: $x+y=\left(x_{1}+y_{1}, x_{2}+y_{2}, \ldots, x_{n}+y_{n}\right)$
- Subtraction: $x-y=\left(x_{1}-y_{1}, x_{2}-y_{2}, \ldots, x_{n}-y_{n}\right)$
- Scalar product: $\alpha x=\left(\alpha x_{1}, \alpha x_{2}, \ldots, \alpha x_{n}\right)$
- Dot product: $x \cdot y=x_{1} y_{1}+x_{2} y_{2}+\cdots+x_{n} y_{n}$
- Magnitude: $|\mathrm{x}|=\left(x_{1}^{2}+x_{2}^{2}+\cdots+x_{n}^{2}\right)^{1 / 2}$
- Direction: $x /|x|=\left(x_{1} /|x|, x_{2} /|x|, \ldots, x_{n} /|x|\right)$
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Examples


## Examples <br> Examples

Examples

## Examples

A data type vector for spatial vectors

| E Vector |  |
| :---: | :---: |
| Vector (a) | a new vector $v$ with Cartesian coordinates taken from the list a |
| ${ }^{\text {[i] }}$ | $i$ th Cartesian coordinates of $v$ |
| v + w | sum of $v$ and $w$ |
| v - w | difference of $v$ and $w$ |
| v.dot (w) | dot product of $v$ and $w$ |
| v.scale (alpha) | scalar product of float $\alpha$ and $v$ |
| v.direction() | unit vector in the same direction as $v$ |
| abs(v) | magnitude of $v$ |
| 1en (v) | length of $v$ |
| $\operatorname{str}(\mathrm{v})$ | string representation of $v$ |

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Examples


## Examples <br> Examples

Examples

## Examples

## 区ector.py

## import math

import stdarray
import stdio
class Vector:
def __init__(self, a):
self._n $=\operatorname{len}(\mathrm{a})$
self._coords $=a[:]$
def __getitem__(self, i): return self._coords [i]
def __add__(self, other): result $=$ stdarray.create1D (self._n, 0$)$ for $i$ in range(self._n):
result[i] = self._coords[i] + other._coords[i] return Vector (result)
def __sub__(self, other):
result $=$ stdarray.create1D (self._n, 0 ) for i in range(self._n):
result[i] = self._coords[i] - other._coords[i] return Vector (result)
def dot(self, other): result $=0$
for i in range(self._n):
result $+=$ self._coords[i] * other._coords [i]
return result
def scale(self, alpha): result $=$ stdarray. create1D (self._n, 0$)$
for i in range(self._n):
result[i] = alpha * self._coords[i] return Vector (result)

## Examples

## $\boxed{\sigma}$ vector.py

def direction(self):
return self.scale(1.0 / abs(self))
def _-abs__(self):
return math.sqrt(self.dot(self))
def dimension(self)
return self._n
def __str__(self): return str(self._coords)
def _main():
$\overline{x C o o r d s}=[1.0,2.0,3.0,4.0]$
yCoords $=[5.0,2.0,4.0,1.0]$
$\mathrm{x}=$ Vector (xCoords)
$y=\operatorname{Vector}(y C o o r d s)$
stdio. writeln('x stdio. writeln('y
stdio.writeln(' $x+y=,+\operatorname{str}(x+y))$
stdio. writeln('x-y $=,+\operatorname{str}(x-y))$
stdio.writeln('x dot $y=,+\operatorname{str}(x \cdot \operatorname{dot}(y)))$
stdio.writeln('10x
stdio. writeln('xhat
stdio. writeln('|x|
$+\operatorname{str}(x . \operatorname{scale}(10.0)))$
stdio.writeln('ydim
$=,+\operatorname{str}(\operatorname{abs}(x)))$
$=$, $+\operatorname{str}(y$. dimension ()))
if __name__ == '__main__':
_main()
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Examples


## Examples <br> Examples

Examples

A data type sketch for compactly representing the content of a document

| Esketch |  |
| :--- | :--- |
| Sketch(text, $k, d)$ | a new sketch $s$ built from the string text using $k$-grams and dimension $d$ |
| $\mathrm{~s} . \mathrm{similarTo}(t)$ | similarity measure between sketches $s$ and $t$ (a float between 0.0 and 1.0) |
| $\operatorname{str}(\mathrm{s})$ | string representation of $s$ |

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Examples


## Examples <br> Examples

Examples

## Examples

```
|}\mathrm{ sketch.py
from vector import Vector
import stdarray
import stdio
import sys
class Sketch:
    def __init__(self, text, k, d):
        freq = stdarray.create1D(d, 0)
        for i in range(len(text) - k + 1):
            kgram = text[i:i + k]
            h = hash(kgram)
            freq[abs(h % d)] += 1
        vector = Vector(freq)
        self._sketch = vector.direction()
    def similarTo(self, other):
        return self._sketch.dot(other._sketch)
    def __str__(self):
        return str(self._sketch)
def _main():
    k = int(sys.argv[1])
    d = int(sys.argv[2])
    text = stdio.readAll()
    sketch = Sketch(text, k, d)
    stdio.writeln(sketch)
if __name__ == '__main__':
    _main()
```

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Examples


## Examples <br> Examples

Examples

## Examples

Program: comparedocuments.py

## Examples

## Program: comparedocuments.py

- Command-line input: $k$ (int), d (int), and path (str)


## Examples

## Program: comparedocuments.py

- Command-line input: $k$ (int), d (int), and path (str)
- Standard input: a document list

Program: comparedocuments.py

- Command-line input: $k$ (int), d (int), and path (str)
- Standard input: a document list
- Standard output: computes $d$-dimensional profiles based on $k$-gram frequencies for all those documents under the path directory, and writes a matrix of similarity measures between all pairs of documents


## Examples

Program: comparedocuments.py

- Command-line input: $k$ (int), d (int), and path (str)
- Standard input: a document list
- Standard output: computes $d$-dimensional profiles based on $k$-gram frequencies for all those documents under the path directory, and writes a matrix of similarity measures between all pairs of documents

```
>- "/workspace/ipp/programs
$ cat ../data/documents.txt
constitution.txt
tomsawyer.txt
huckfinn.txt
tale.txt
prejudice.txt
actg.txt
djia.csv
$ python3 comparedocuments.py 5 10000 ../data < ../data/documents.txt
cons toms huck tale prej actg djia
\begin{tabular}{ll} 
& \(1.00 \quad 0.66\)
\end{tabular}
\begin{tabular}{lllllll} 
& 0.60 & 0.93 & 1.00 & 0.84 & 0.81 & 0.13
\end{tabular}
\begin{tabular}{llllllll} 
tale & 0.67 & 0.92 & 0.84 & 1.00 & 0.87 & 0.14 & 0.21
\end{tabular}
\begin{tabular}{llllllll} 
prej & 0.64 & 0.88 & 0.81 & 0.87 & 1.00 & 0.15 & 0.24
\end{tabular}
\begin{tabular}{llllllll} 
actg & 0.11 & 0.15 & 0.13 & 0.14 & 0.15 & 1.00 & 0.12
\end{tabular}
\begin{tabular}{llllllll} 
djia & 0.18 & 0.23 & 0.21 & 0.21 & 0.24 & 0.12 & 1.00
\end{tabular}
```

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Examples


## Examples <br> Examples

Examples

## Examples

## $\boxed{\sigma}$ comparedocuments.py

from instream import InStream
from sketch import Sketch
import stdarray
import stdio
import sys
def main():
$\mathrm{k}=$ int (sys.argv[1])
$\mathrm{d}=\operatorname{int}($ sys.argv [2])
path $=$ sys.argv [3]
filenames $=$ stdio.readAllStrings()
$\mathrm{n}=\operatorname{len}$ (filenames)
sketches = stdarray. create1D (n, None)
for i in range ( $n$ ):
inStream $=$ InStream (path,$+ /,+$ filenames [i])
text $=$ inStream.readAll ()
sketches [i] = Sketch (text, k, d)
stdio.write(,
')
for filename in filenames:
stdio.writef( $\% / 8.4 s^{\prime}$, filename)
stdio.writeln()
for i in range ( $n$ ):
stdio.writef( $\% .4 \mathrm{~s}^{\prime}$, filenames[i])
for $j$ in range ( $n$ ):
stdio. writef('\%8.2f', sketches[i].similarTo(sketches[j])) stdio.writeln()
if
_name__ == _ _main__ :
main()
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Examples


## Examples <br> Examples

Examples

A data type counter for counting

| Counter |  |
| :--- | :--- |
| Counter(id, maxcount) | a new counter $c$ named id, with maximum value maxCount |
| $c$. increment() | increment $c$, unless its value is maxCount |
| c.tally() | value of $c$ |
| $c$. reset() | reset value of $c$ |
| $c<d$ | is $c$ less than $d$ ? |
| $c==d$ | are $c$ and $d$ equal? |
| $\operatorname{str}(c)$ | string representation of $c$ |

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$\qquad$



Examples


## Examples <br> Examples

Examples

## Examples

```
|}\mathrm{ counter.py
import stdarray
import stdio
import stdrandom
import sys
class Counter:
    def __init__(self, id):
        self._id = id
        self._count = 0
    def increment(self):
        self._count += 1
    def tally(self):
        return self._count
    def reset(self):
        self._count = 0
    def __lt__(self, other):
        return self._count < other._count
    def __eq__(self, other):
        return self._count == other._count
    def __str__(self):
        return str(self._count) + , ' + self._id
def _main():
    n = int(sys.argv[1])
    trials = int(sys.argv[2])
    counters = stdarray.create1D(n, None)
    for i in range(n):
        counters[i] = Counter('counter ' + str(i))
    for i in range(trials):
```


## Examples

counters [stdrandom. uniformInt ( $0, \mathrm{n}$ )]. increment ()
for counter in sorted(counters):
stdio.writeln(counter)
if __name__ == '__main__': _main()
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Examples


## Examples <br> Examples

Examples

## Examples

## 2- -/workspace/ipp/programs

$\$$ python3 counter.py 610000
1620 counter 0
1629 counter 3
1653 counter 2
1686 counter 1
1686 counter 4
1726 counter 5
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Examples


## Examples <br> Examples

Examples

A comparable data type country that represents a country by its name, capital, and population

```
E Country
```

Country(name, capital, population) constructs a country c given its name, capital, and population
$\mathrm{c}<\mathrm{d} \quad$ is the country $c$ less than country $d$ by name?
$\mathrm{c}=\mathrm{d} \quad$ is the country $c$ equal to country $d$ by population?
$\operatorname{str}(c) \quad$ string representation of $c$
$\square$
$\qquad$



Examples


## Examples <br> Examples

Examples

## Examples

```
|}\mathrm{ country.py
import stdarray
import stdio
class Country:
    def _-init__(self, name, capital, population):
        self._name = name
        self._capital = capital
        self._population = population
    def ___lt__(self, other):
        return self._name < other._name
    def __eq__(self, other):
        return self._name == other._name
    def __str__(self):
        return self._name + , (' + self._capital + '): , + str(self._population)
def _main():
    countries = stdarray.create1D(5, None)
    countries[0] = Country('United States','Washington, D.C.', 329334246)
    countries[1] = Country('Pakistan','Islamabad', 218719520)
    countries[2] = Country('India', 'New Delhi', 1358989650)
    countries[3] = Country('China',''Beijing', 1401463880)
    countries[4] = Country('Indonesia',''Jakarta', 266911900)
    stdio.writeln('Unsorted:')
    for country in countries:
        stdio.writeln(country)
    stdio.writeln()
    stdio.writeln('Sorted by name:')
    for country in sorted(countries):
        stdio.writeln(country)
    stdio.writeln()
    stdio.writeln('Sorted by capital:')
    for country in sorted(countries, key=lambda country: country._capital):
```

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Examples


## Examples <br> Examples

Examples

## Examples

## © country.py

stdio.writeln(country)
stdio.writeln()
stdio.writeln('Sorted by population:')
for country in sorted (countries, key=lambda country: country. population):
stdio.writeln(country)
stdio.writeln()
stdio.writeln('Reverse sorted by population:')
for country in sorted (countries, key=lambda country: country. population, reverse=True): stdio.writeln(country)

```
if __name__ == '__main__':
_main()
```

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Examples


## Examples <br> Examples

Examples

## Examples

## >- "/workspace/ipp/programs

\$ python3 country.py
Unsorted:
United States (Washington, D.C.): 329334246
Pakistan (Islamabad): 218719520
India (New Delhi): 1358989650
China (Beijing): 1401463880
Indonesia (Jakarta): 266911900

Sorted by name:
China (Beijing): 1401463880
India (New Delhi): 1358989650
Indonesia (Jakarta): 266911900
Pakistan (Islamabad): 218719520
United States (Washington, D.C.): 329334246

Sorted by capital:
China (Beijing): 1401463880
Pakistan (Islamabad): 218719520
Indonesia (Jakarta): 266911900
India (New Delhi): 1358989650
United States (Washington, D.C.): 329334246

Sorted by population:
Pakistan (Islamabad): 218719520
Indonesia (Jakarta): 266911900
United States (Washington, D.C.): 329334246
India (New Delhi): 1358989650
China (Beijing): 1401463880

Reverse sorted by population:
China (Beijing): 1401463880
India (New Delhi): 1358989650
United States (Washington, D.C.): 329334246
Indonesia (Jakarta): 266911900
Pakistan (Islamabad): 218719520
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Examples


## Examples <br> Examples

Examples

An iterable Fibonaccisequence data type for iterating over Fibonacci sequences

```
# FibonacciSequence
    FibonacciSequence(n) a new object f}\mathrm{ for iterating over the first n Fibonacci numbers
    iter(f) an iterable object fiter on f
    next(fiter) the next number in the Fibonacci sequence fiter
```

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Examples


## Examples <br> Examples

Examples

## Examples

## 区 fibonaccisequence.py

import stdio
import sys
class FibonacciSequence:
def __init__(self, $n$ ):
self._n $=n$
self._a $=1$
self._b = 1
self._count $=0$
def __iter__(self): return self
def __next__(self): self._count += 1 if self._count > self._n: raise StopIteration () if self._count <= 2:
return 1
temp $=$ self._a
self._a = self._b
self._b += temp return self._b
def _main():
$\mathrm{n}=\operatorname{int}($ sys.argv [1])
for $v$ in FibonacciSequence $(n)$ : stdio.writeln(v)

```
if __name__ == '__main__':
    _main()
```

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Examples


## Examples <br> Examples

Examples

## Examples

| >_- $/$ workspace/ipp/programs |  |
| :--- | :--- |
| $\$$ python3 fibonaccisequence $\cdot$ py 10 |  |
| 1 |  |
| 1 |  |
| 2 |  |
| 3 |  |
| 5 |  |
| 8 |  |
| 13 |  |
| 21 |  |
| 34 |  |
| 55 |  |


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## Exceptions <br> Exctions <br> Except <br> xceptions


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An exception is a disruptive event that occurs while a program is running, often to signal an error

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The action taken in response is known as raising an exception (or error)

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We can raise our own exceptions as follows
raise Exception('Error message here.')

An exception is a disruptive event that occurs while a program is running, often to signal an error
The action taken in response is known as raising an exception (or error)
We can raise our own exceptions as follows

```
raise Exception('Error message here.')
```

We can handle exceptions using a try-except block

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## Exceptions <br> Exctions <br> Except <br> xceptions


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Exceptions

Program: errorhandling.py

## Program: errorhanding.py

- Command-line input: $\times$ (float)


## Program: errorhanding.py

- Command-line input: $x$ (float)
- Standard output: square root of $x$, reporting an error if $x$ is not specified, is not a float, or is negative


## Exceptions

## Program: errorhanding.py

- Command-line input: $\times$ (float)
- Standard output: square root of $x$, reporting an error if $x$ is not specified, is not a float, or is negative
$\square$
\$ python3 errorhandling.py
$x$ not specified
\$ python3 errorhandling.py two
$x$ must be a float
\$ python3 errorhanding.py -2
x must be positive
\$ python3 errorhandling.py 2
1.4142135623730951

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## Exceptions <br> Exctions <br> Except <br> xceptions


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## Exceptions

```
& errorhandling.py
import math
import stdio
import sys
def main():
    try
        x = float(sys.argv[1])
        result = _sqrt(x)
        stdio.writeln(result)
    except IndexError as e:
        stdio.writeln('x not specified')
    except ValueError as e:
        stdio.writeln('x must be a float')
    except Exception as e:
        stdio.writeln(e)
    finally:
        stdio.writeln('Done!')
def _sqrt(x):
    if x < 0:
        raise Exception('x must be positive')
    return math.sqrt(x)
if __name__ == '__main__':
    main()
```


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