Translating JVM Code to MIPS Code

Outline

1 Introduction

2 SPIM and the MIPS Architecture

3 Our Translator

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Compiling JVM code to native code involves the following

- Register allocation
- Optimization
- Instruction selection
- Run-time support

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Our goal is illustrated in the following figure



We re-define what constitute the IR, the front end and the back end

- JVM code is our new IR
- The *j*-- to JVM translator (Chapters 1 5) is our new front end
- The JVM to SPIM translator (Chapters 6 and 7) is our new back end

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We translate enough JVM code to SPIM code to handle the j-- program shown in the following slide

```
import spim.SPIM:
// Prints factorial of a number computed using recursive and iterative
// algorithms.
public class Factorial {
    // Return the factorial of the given number computed recursively.
    public static int computeRec(int n) {
        if (n \le 0) {
            return 1:
        } else {
            return n * computeRec(n - 1);
    // Return the factorial of the given number computed iteratively.
    public static int computeIter(int n) {
        int result = 1;
        while (n \ge 0) f
            result = result * n--;
        return result:
    // Entry point: print factorial of a number computed using
    // recursive and iterative algorithms.
    public static void main(String[] args) {
        int n = 7;
        SPIM.printInt(Factorial.computeRec(n));
        SPIM.printChar('\n');
        SPIM.printInt(Factorial.computeIter(n));
        SPIM.printChar('\n');
```

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```
public class Factorial extends java.lang.Object
minor version: 0
major version: 49
Constant pool:
... <the constant pool is elided here> ...
{
public Factorial();
Code:
Stack=1, Locals=1, Args_size=1
0: aload_0
1: invokespecial #8; //Method java/lang/Object."<init>":()V
4: return
```

```
public static int computeRec(int);
 Code:
  Stack=3, Locals=1, Args_size=1
  0: iload 0
  1: iconst 0
  2: if_icmpgt 10
  5: iconst_1
  6: ireturn
  7: goto 19
  10: iload_0
  11: iload_0
  12: iconst 1
  13: isub
  14: invokestatic #13; //Method computeRec:(I)I
  17: imul
  18: ireturn
  19: nop
public static int computeIter(int);
 Code
  Stack=2, Locals=2, Args_size=1
  0: iconst 1
  1: istore_1
  2: iload 0
  3: iconst 0
  4: if_icmple 17
  7: iload 1
  8: iload 0
  9: iinc 0. -1
  12: imul
  13: istore 1
  14: goto 2
  17: iload 1
  18: ireturn
```

```
public static void main(java.lang.String[]);
 Code
  Stack=1, Locals=2, Args_size=1
  0: bipush 7
  2: istore_1
  3: iload_1
  4: invokestatic #13; //Method computeRec:(I)I
  7: invokestatic #22; //Method spim/SPIM.printInt:(I)V
  10: bipush 10
  12: invokestatic #26; //Method spim/SPIM.printChar:(C)V
  15: iload_1
  16: invokestatic #28; //Method computeIter:(I)I
  19: invokestatic #22: //Method spim/SPIM.printInt:(I)V
  22: bipush 10
  24: invokestatic #26: //Method spim/SPIM.printChar:(C)V
  27: return
```

The MIPS computer organization is shown below



Memory organization, by convention divided into four segments, is shown below



- Text segment The program's instructions go here
- Static data segment Static data, which exist for the duration of the program, go here
- Dynamic data segment (aka heap) This is where objects and arrays are dynamically allocated during execution of the program
- Like the stack for the JVM, every time a routine is called, a new stack frame is pushed onto the stack; every time a return is executed, a frame is popped off

Many of the thirty two (0 - 31) 32-bit general-purpose registers, by convention are designated for special uses, and have alternative names

- \$zero (0) always holds the constant 0
- \$at (1) is reserved for use by the assembler
- v0 and v1 (2 and 3) are used for expression evaluation and as the results of a function
- a0 a3 (4 7) are used for passing the first four arguments to routines; any additional arguments are passed on the stack
- t0 t7 (8 15) are meant to hold temporary values that need not be preserved across routine calls; if they must be preserved, it is up to the caller to save them
- \$s0 \$s7 (16 23) are meant to hold values that must be preserved across routine calls; it is up to the callee to save these registers
- \$t8 and \$t9 (24 and 25) are caller-saved temporaries
- \$k0 and \$k1 (26 and 27) are reserved for use by the operating system kernel
- \$gp (28) is a global pointer to the middle of a 64K block of memory in the static data segment
- \$sp (29) is the stack pointer, pointing to the last location on the stack
- fp(30) is the stack frame pointer, pointing to the latest frame on the stack
- \$ra (31) is the return address register, holding the address to which execution should continue upon return from the latest routine

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SPIM provides a set of system calls for accessing simple input and output functions

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A basic block is a sequence of instructions with just one entry point at the start and one exit point at the end; otherwise, there are no branches into or out of the instruction sequence

Consider the computeIter() method from our Factorial example

```
public static int computeIter(int n) {
    int result = 1;
    while ( n > 0 ) {
        result = result * n--;
    }
    return result;
}
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The JVM code for the method is shown below (line breaks to delineate basic blocks)

```
public static int computeIter(int);
 Code:
  Stack=2, Locals=2, Args_size=1
  0: const 1
  1: istore_1
  2: iload 0
  3: iconst_0
  4: if_icmple 17
  7: iload_1
  8: iload_0
  9: iinc 0, -1
  12: imul
  13: istore_1
  14: goto 2
  17: iload 1
   18: ireturn
```

The control-flow graph, expressed as a graph constructed from the basic blocks is shown below



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The first line of text within each box identifies the block, a list of any successor blocks (labeled by $_{\text{succ}}$) and a list of any predecessor blocks (labeled by $_{\text{pred}}$)

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Node d is an immediate dominator of node n if d strictly dominates n but does not dominate any other node that strictly dominates n, ie, it is the node on the path from the entry node to n that is the "closest" to n

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For example, the *j*-- statement

w = x + y + z;

might bre represented in HIR by

I8: I0 + I1 I9: I8 + I2

where $_{\rm I0,\ I1}$ and $_{\rm I2}$ refer to the instruction IDs labeling instructions that compute values for x, y and z respectively

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I2: 1

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Not all instructions generate values; for example, the instruction

6: if I3 <= I5 then B4 else B3

in block B2 produces no value but transfers control to either B4 or B3

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we might subscript our variables to distinguish different versions

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If the next block has just one predecessor, it can copy the predecessor's state vector at its start; if there are two or more predecessors, the states must be merged

For example, consider the following j-- method, where the variables are in SSA form.

```
static int ssa(int w1) {
    if (w1 > 0) {
        w2 = 1;
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We solve this problem by using what is called a Phi function, a special HIR instruction that captures the possibility of a variable having one of several values; in our example, the final block would contain the following code

 $w_4 = \begin{bmatrix} w_2 & w_3 \end{bmatrix};$ return w4;

Another place where Phi functions are needed are in loop headers, basic blocks having at least one incoming backward branch and at least two predecessors, as illustrated below



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If the $_{\tt w}$ is never modified in the loop body, the Phi function instruction takes the form $_{\tt w2}=[_{\tt w1}\ \tt w2]$

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If the $_{u}$ is never modified in the loop body, the Phi function instruction takes the form $_{u2}$ = $[_{u1}\ _{u2}]$

Phi functions are tightly bound to state vectors, so when a block is processed

- If the block has just a single predecessor, then it may inherit the state vector of that predecessor; the states are simply copied
- If the block has more than one predecessor, then those states in the vectors that differ must be merged using Phi functions
- For loop headers we conservatively create Phi functions for all variables, and then later remove redundant Phi functions

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The MControlFlowGraph constructor is invoked on the method, which produces the control-flow graph cfg; in this first step, the JVM code is translated to sequences of tuples

- Objects of type NBABICBLOCK represent the basic blocks in the control-flow graph; the control flow is captured by the links, successors in each block; there are also the links predecessors for analysis
- The JVM code is first translated to a list of tuples, corresponding to the JVM instructions; each block stores its sequence of tuples in an ArrayList called tuples

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detects loop headers and loop tails

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```

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The method call

cfg.computeDominators(cfg.basicBlocks.get(0), null);

computes an immediate dominator for each basic block, that closest predecessor through which all paths must pass to reach the target block; it's a useful place to which insert invariant code that is lifted out of a loop in optimization

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The HIR is now ready for further analysis

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In some cases, the code of a callee's body can replace the call sequence in the caller's code, saving the overhead of a routine call — we call this inlining; for example, consider the following code

```
static int getA() {
    return Getter.a;
}
static void foo() {
    int i;
    i = getA();
}
```

can be replaced with

```
static void foo() {
    int i;
    i = Getter.a;
}
```

Expressions having operands that are both constants, or variables whose values are known to be constants, can be folded, that is replaced by their constant value

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For example, consider the Java method

```
static void foo() {
    int i = 1;
    int j = 2;
    int k = i + j + 3;
}
```

and the corresponding HIR code

BO succ: B1 Locals: 0: 0 1: 1 2: 2 B1 [0, 10] dom: B0 pred: B0 Locals: 0: I3 1: 14 2 · T7 I3: 1 I4: 2 I5: I3 + I4 T6 · 3 I7: I5 + I68: return

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The instruction I3 + I4 at I5 can be replaced by the constant 3 and the I5 + I6 at I7 can replaced by the constant 6

Another optimization one may make is common subexpression elimination, where we identify expressions that are re-evaluated even if their operands are unchanged; for example, in the following method

```
void foo(int i) {
    int j = i * i * i;
    int k = i * i * i;
}
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we can replace

int k = i * i * i;

in foo() with the more efficient

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Common subexpressions do arise in places one might not expect them; for example, consider the following C language fragment

```
for (i = 0; i < 1000; i++) {
    for (j = 0; j < 1000; j++) {
        c[i][j] = a[i][j] + b[i][j];
    }
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where a, b, and c are integer matrices

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where a, b, and c are integer matrices

If a', b', and c' are their base addresses respectively, then the memory addresses of a[i][j], b[i][j], and c[i][j] are a' + i * 4 * 1000 + j * 4, b' + i * 4 * 1000 + j * 4, and c' + i * 4 * 1000 + j * 4; eliminating the common offsets, i * 4 * 1000 + j * 4, can save us a lot of computation

Loop invariant expressions can be lifted out of the loop and computed in the predecessor block to the loop header

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For example, the following j-- code for summing two matrices

```
int i = 0;
while (i <= 999) {
    int j = 0;
    while (j <= 999) {
        c[i][j] = a[i][j] + b[i][j];
        j = j + 1;;
    }
    i = i + 1;
}
```

can be rewritten as

```
int i = 0;
while (i <= 999) {
    int[] ai = a[i];
    int[] bi = b[i];
    int[] ci = c[i];
    int j = 0;
    while (j <= 999)
    {
        ci[j] = ai[j] + bi[j];
        j = j + 1;;
    }
    i = i + 1;
}
```

When indexing an array, we must check that the index is within bounds; for example, in our code for matrix addition, in the assignment

c[i][j] = a[i][j] + b[i][j];

the i and j must be tested to make sure each is greater than or equal to zero, and less than 1000; and this must be done for each of c, $_{\rm a}$ and $_{\rm b}$

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Every time we send a message to an object, or access a field of an object, we must insure that the object is not the special null object; for example, in

...a.f...

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The HIR does not present every opportunity for optimization, particularly those involving back branches (in loops); for this we would need full data-flow analysis where we compute where in the code computed values remain valid

Since the HIR is not necessarily suitable for register allocation, we translate it into a low-level intermediate representation (LIR) where

- Phi functions are removed from the code and replaced by explicit moves
- Instruction operands are expressed as explicit virtual registers

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For example, the LIR for Factorial.computeIter() is shown below

```
computeIter (I)I
  BО
  B1
 0: LDC [1] [V32|I]
 5: MOVE $a0 [V33]]
  10: MOVE [V32|T] [V34|T]
  R2
 15: LDC [0] [V35]]
 20: BRANCH FLET FV33[1] FV35[1] B4
  B3
 25: LDC [-1] [V36]]
 30: ADD [V33]1] [V36]1] [V37]1]
 35: MUL [V34|I] [V33|I] [V38|I]
 40: MOVE [V38|I] [V34|I]
 45: MOVE [V37|1] [V33|1]
 50: BRANCH B2
  R/
 55: MOVE [V34|1] $v0
 60: RETURN $v0
```

In the above example, seven virtual registers ${}_{\rm V32}-{}_{\rm V38}$ are allocated to the LIR computation

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We enumerate the LIR instructions by multiples of five, which eases the insertion of spill (and restore) instructions, which may be required for register allocation

The process of translating HIR to LIR is relatively straightforward and is a two-step process

1 The NEmitter constructor invokes the NControlFlowGraph method hirToLir() on the control-flow graph

```
cfg.hirToLir();
```

which iterates through the array of HIR instructions for the control-flow graph translating each to an LIR instruction, relying on a method $t_{toLir(O)}$, which is defined for each HIR instruction.

2 NEmitter invokes the NControlFlowGraph method resolvePhiFunctions() on the control-flow graph

```
cfg.resolvePhiFunctions();
```

which resolves Phi function instructions, replacing them by move instructions near the end of the predecessor blocks; for example, the Phi function from figure (a) below resolves to the moves in figure (b)



(b)

A run-time environment supporting code produced for Java would require

- A naming convention
- 2 A run-time stack
- A representation for arrays and objects
- A heap
- 6 A run-time library of code that supports the Java API

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String literals in the data segment have labels that suggest what they label

Our run-time stack conforms to the run-time convention described for SPIM

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Each time a method is invoked, a new stack frame of the type shown below is pushed onto the stack; upon return from the method, the same frame is popped off from the stack



SPIM provides a set of built-in system calls for performing simple ${\rm I/O}$ tasks

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Our runtime environment includes a class $_{\mbox{\scriptsize SPIM}}$, which is a wrapper that gives us access to these calls as a set of static methods

```
package spim:
public class SPIM {
    public static void printInt(int value) { }
    public static void printFloat(float value) { }
    public static void printDouble(double value) { }
    public static void printString(String value) { }
    public static void printChar(char value) { }
    public static int readInt() { return 0: }
    public static float readFloat() { return 0; }
    public static double readDouble() { return 0; }
    public static String readString(int length) { return null; }
    public static char readChar() { return ' '; }
    public static int open(String filename, int flags, int mode) { return 0; }
    public static String read(int fd, int length) { return null; }
    public static int write(int fd. String buffer, int length) { return 0; }
    public static void close(int fd) { }
    public static void exit() { }
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    public static float readFloat() { return 0: }
    public static double readDouble() { return 0: }
    public static String readString(int length) { return null; }
    public static char readChar() { return ' ': }
    public static int open(String filename, int flags, int mode) { return 0; }
    public static String read(int fd, int length) { return null; }
    public static int write(int fd. String buffer, int length) { return 0; }
    public static void close(int fd) { }
    public static void exit() { }
    public static void exit2(int status) { }
```

Since the ${}_{\text{SPIM}}$ class is defined in the package ${}_{\text{spim}}$, that package name is part of the label for the entry point to each SPIM method; for example

spim.SPIM.printInt:
Once virtual registers have been mapped to physical registers, translating LIR to SPIM code is pretty straightforward

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We iterate through the list of methods for each class; for each method, we do the following

- We generate a label for the method's entry point
- We generate code to push a new frame onto the run-time stack and then code to save all our registers; we treat all of SPIM's general purpose registers \$t0 \$t9 and \$s0 \$s7 as callee-saved registers
- Since all branches in the code are expressed as branches to basic blocks, a unique label for each basic block is generated into the code
- We then iterate through the LIR instructions for the block, invoking a method toSpin(), which is defined for each LIR instruction; there is a one-to-one translation from each LIR instruction to its SPIM equivalent
- Any string literals that are encountered in the instructions are put into a list, together with appropriate labels; these will be emitted into a data segment at the end of the method
- We generate code to restore those registers that had been saved at the start; this code also does a jump to that instruction following the call in the calling code, which had been stored in the \$ra register

After we have generated the text portion (the program instructions) for the method, we then populate a data area from the list of string literals constructed previously; any other literals that you may wish to implement would be handled in the same way

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Once all of the program code has been generated, we then copy out the SPIM code for implementing the SPIM class

For example, the SPIM code for Factorial.computeIter() is as follows

text Factorial.computeIter: subu \$sp,\$sp,36 # Stack frame is 36 bytes long \$ra,32(\$sp) # Save return address sv \$fp,28(\$sp) # Save frame pointer SW \$t0,24(\$sp) # Save register \$t0 S V \$t1.20(\$sp) # Save register \$t1 SU S V \$t2.16(\$sp) # Save register \$t2 \$t3,12(\$sp) # Save register \$t3 S V \$t4,8(\$sp) # Save register \$t4 S V \$t5.4(\$sp) # Save register \$t5 SU \$t6,0(\$sp) # Save register \$t6 SW addiu \$fp,\$sp,32 # Save frame pointer Factorial.computeIter.0: Factorial.computeIter.1: li \$t0.1 move \$t1.\$a0 move \$t2.\$t0

```
Factorial.computeIter.2:
    li $t3.0
    ble $t1.$t3.Factorial.computeIter.4
    i Factorial.computeIter.3
Factorial.computeIter.3:
    li $t4.-1
    add $t5,$t1,$t4
    mul $t6.$t2.$t1
   move $t2.$t6
    move $t1.$t5
    j Factorial.computeIter.2
Factorial.computeIter.4:
    move $v0.$t2
    j Factorial.computeIter.restore
Factorial.computeIter.restore:
    1 17
           $ra.32($sp) # Restore return address
    1 17
           $fp.28($sp) # Restore frame pointer
           $t0,24($sp) # Restore register $t0
    1 17
           $t1,20($sp) # Restore register $t1
    ٦w
    1 17
           $t2.16($sp) # Restore register $t2
    1 17
           $t3.12($sp) # Restore register $t3
           $t4.8($sp) # Restore register $t4
    1 17
           $t5.4($sp) # Restore register $t5
    1 17
           $t6.0($sp) # Restore register $t6
    1 17
    addiu
           $sp,$sp,36
                         # Pop stack
                         # Return to caller
    ir
            $ra
```

```
Factorial.computeIter.2:
    li $t3.0
    ble $t1.$t3.Factorial.computeIter.4
    i Factorial.computeIter.3
Factorial.computeIter.3:
    li $t4.-1
    add $t5.$t1.$t4
   mul $t6.$t2.$t1
   move $t2.$t6
    move $t1.$t5
    j Factorial.computeIter.2
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    1 17
           $t4.8($sp) # Restore register $t4
    1 17
           $t5.4($sp) # Restore register $t5
    1 17
           $t6.0($sp) # Restore register $t6
    1 17
    addin
           $sp.$sp.36
                         # Pop stack
            $ra
                         # Return to caller
    ir
```

We can perform peephole optimizations (considering just a few instuctions at a time) on the SPIM code to remove jumps to immediate instructions and simplify jumps to jumps