

1 Exercises

Exercise 1. Consider the following *j--* program `SpimSum.java`:

```

1 import spim.SPIM;
2
3 public class SpimSum {
4     public static int compute(int n) {
5         int sum = 0, i = n;
6         while (i > 0) {
7             sum += i--;
8         }
9         return sum;
10    }
11
12    public static void main(String[] args) {
13        int result = SpimSum.compute(100);
14        SPIM.printInt(result);
15        SPIM.printChar('\n');
16    }
17 }

```

The JVM bytecode for the `SpimSum.compute()` method are listed below, with linebreaks denoting basic blocks.

```

1 public static int compute(int);
2 Code:
3     stack=2, locals=3, args_size=1
4     0: iconst_0
5     1: istore_1
6     2: iload_0
7     3: istore_2
8
9     4: iload_2
10    5: iconst_0
11    6: if_icmple      19
12
13    9: iload_1
14   10: iload_2
15   11: iinc          2, -1
16   14: iadd
17   15: istore_1
18   16: goto          4
19
20   19: iload_1
21  20: ireturn

```

The HIR instructions for the method are listed below.

```

B0 succ: B1
Locals: I0
I0: LDLOC 0

B1 [0, 3] dom: B0 pred: B0 succ: B2
Locals: I0 I3 I0
I3: 0

B2 [LH] [4, 6] dom: B1 pred: B1 B3 succ: B3 B4
Locals: I0 I5 I6
I5: [ I3 I11 ]
I6: [ I0 I10 ]
I7: 0
8: if I6 <= I7 then B4 else B3

B3 [LT] [9, 16] dom: B2 pred: B2 succ: B2
Locals: I0 I11 I10
I9: -1
I10: I6 + I9
I11: I5 + I6
12: goto B2

B4 [19, 20] dom: B2 pred: B2
Locals: I0 I5 I6
I13: ireturn I5

```

- Draw the HIR flow graph for `SpimSum.compute()`.
- Suppose that the HIR to LIR translation procedure assigns virtual registers `v32`, `v33`, `v34`, `v37`, and `38` to HIR instructions 13, 15, 16, 110, and 111 respectively. How are the Phi functions 15 and 16 in block `B2` resolved?

Exercise 2. What optimization techniques would you use to improve each of the following code snippets, and how?

a.

```

1 static int f() {
2     return 42;
3 }
4
5 static int g(int x) {
6     return f() * x;
7 }
    
```

b.

```

1 static int f() {
2     int x = 28;
3     int y = 42;
4     int z = x + y * 10;
5     return z;
6 }
    
```

c.

```

1 static int f(int x) {
2     int y = x * x * x;
3     return x * x * x;
4 }
    
```

d.

```

1 static int f(int[][] a) {
2     int sum = 0;
3     int i = 0;
4     while (i <= a.length - 1) {
5         int j = 0;
6         while (j < a[0].length - 1) {
7             sum += a[i][j];
8             j = j + 1;
9         }
10        i = i + 1;
11    }
12    return sum;
13 }
    
```

e.

```

1 static int f(int[][] a, int[][] b, int[][] c) {
2     ...
3     c[i][j] = a[i][j] + b[i][j];
4     ...
5 }
    
```

where a , b , and c have the same dimensions.

f.

```

1 static int f(SomeObject o) {
2     return o.x * o.y * o.z;
3 }
    
```

where x , y , and z are integer fields in o .

2 Solutions to Exercises

Solution 1.

a.

- b. The Phi functions r_5 and r_6 in block B_2 are resolved by adding `move` instructions at the end of B_2 's predecessors B_1 and B_3 , as follows:

```
B1:
  move V32 V33
  move $a0 V34
```

```
B3:
  move V37 V33
  move V38 V34
```

Solution 2. a. Inlining

```
1 static int g(int x) {
2     return 42 * x;
3 }
```

- b. Constant folding and constant propagation

```
1 static int f() {
2     return 448;
3 }
```

- c. Common subexpression elimination

```
1 static int f(int x) {
2     int y = x * x * x;
3     return y;
4 }
```

- d. Lifting loop invariant code

```
1 static int f(int[][] a) {
2     int sum = 0;
3     int i = 0;
4     while (i <= a.length - 1) {
5         int j = 0;
6         int[] a_ = a[i];
7         while (j < a_.length - 1) {
8             sum += a_[j];
9             j = j + 1;
10        }
11        i = i + 1;
12    }
13    return sum;
14 }
```

- e. Array bounds check elimination. Since `a`, `b`, and `c` have the same dimensions, perform the array bounds check, ie, check if the indices `i` and `j` are within bounds, just once instead of three times.

- f. Null check elimination. Perform null check on the object `o` just once instead of three times.